Data Hiding Method with Modified Interpolation and Key Based Sudoku

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Abstract: This work intends to give an overview of image steganography, its uses & techniques. Paper work is an implementation of Image Steganography of same plaintext and the implementation of a system that designs a unique Sudoku for Sudoku based data hiding. Higher security is the main concern of this paper. The system is based on a hybrid algorithm that applies the technique of Sudoku generation and steganography to offer different security features to images transmitted between entities in internet. Based on the proposed algorithm, the authenticity and integrity of the transmitted images can be verified either in the spatial domain or in the encrypted domain or in both domains. The work is implemented on MATLAB design and simulation tool. Paper work uses modified Sudoku based data protection and PSNR is very high in present paper work.

Keywords: Peak Signal to Noise Ratio (PSNR), Mean Square Error (MSE), Bit Per Pixel (BPP), Sudoku

I-INTRODUCTION

The paper work is the Implementation of steganography tools for hiding more data or information which may be text or another image files. Transform techniques have been used for identifying appropriate data. Available methods in area of steganography have been presented:-

1. Initially LSB substitution in image was popular [15],[16]

2. Different schemes for LBS substitution developed [14]

3. Key based LSB substitution developed [13]

4. Multiple layer for steganography developed like steganography with steganography [12]

5. DCT based image analysis for finding out area where data can be hidden appropriately [3]

6. DWT based image analysis for finding out area

where data can be hidden appropriately & to find better method than DCT based image analysis [7][6]

7. Sudoku based data hiding method in cover image [1],[2]

II-METHODOLOGY

Proposed design resolves the problems of available works with significant modification done in interpolation method and in Sudoku generation method. 8 digit public and private key have been used in the proposed work, and association of both the keys develops one 8 digit Sudoku Key. Proposed work is a new design which uses Sudoku, developed with 8 digits Sudoku Key provided by user. This method develops a unique Sudoku solution for each different key, hence the concept of unique Sudoku based on combination of public and private key makes proposed method robust against external intrusion. Proposed work is also using an interpolation and new pixel generation method with the help of four neighboring pixels instead of two pixels as was used by Chin-Chen Chang et al [1], four pixels interpolation develops more accurate new pixel than two pixels interpolation. The remaining processes of hiding are similar as used by Chin-Chen Chang et al [1].

2.1 DATA HIDING METHOD ADOPTED:

Fig. 1 presents the flow diagram of the proposed work, explained in following steps-

Step 1: Input an 8 digit decimal public key, the key can be any value of 8 digit and must be pass when data hiding required.

Step 2: perform logical XOR between 8 digit public and private key which was already in the steganography module. The output key is our new Sudoku Key.

Step 3: develop a unique t1 to t9 digits out of 8 digits

Sudoku key, t1 to t9 can be any digits between 1 to 9 but all t1 to t9 must be different from each other.

Step 4: Assign the values of t1 to t9 into a fixed bottom up approach Sudoku problem. Total 23 unknown values of Sudoku problem has been assigned using t1 to t9 digits.

Step 5: Solve the bottom up Sudoku problem by using Sudoku Rules, proposed method uses the method of solving Sudoku by Ahmed Abdulkarim Almuhrij et al [27] from University of Manchester.



Figure 1 Data hiding Flow diagram

Step 6: convert the base-9 Sudoku into base-8 Sudoku, because we can hide digits 0-8 only.

Step 7: develop a 255x255 Sudoku matrix with help of base-8 developed Sudoku, the size of 255x255 is fixed because any pixel of image cannot be greater than 255.

Step 8: input the cover image and isolate it in 2x2 blocks

Step 9: perform interpolation on each 2x2 blocks of cover image and develop new 3x3 interpolated blocks, total 4 pixels was available in 2x2 block and total 9 pixels have been developed in 3x3 block, hence we have 5 new pixels. These 5 new pixels can be modified according to the data which is to be hidden in the cover image.

The role of interpolation is that original pixels (4 pixel of 2x2 block) must not change and new 5 interpolated pixels can be modified with small amount, hence overall image modification is less as required in steganography.

Step 10: input the data which may be character or any number, first convert it into its ASCII values then develop a single string of decimal digits.

Step 11: convert the number into base-9

Step 12: start hiding the data in cover image with the help of 255x255 Sudoku matrix. Actually the original digit is not hidden in the cover image, the digits of data simply modify the interpolated pixels of cover image. Each 2x2 block of interpolated image can hide 3 digits.

2.2 PROPOSED ALGORITHM FOR DATA HIDING : Input a 8 digit public key, let its 8 digits are K1, K2....K8

KEY=K1K2K3K4K5K6K7K8

Shift row for making Key complex as also done in AES NK=K2K3K4K5K6K7K8K1

Perform logical XOR of 'NK' with private key 'PK' for public Key encryption

MK=NK xor PK Now develop sub-keys from MK

MK1=999999999-MK MK2=88888888-MK MK3=7777777-MK MK4=666666666-MK MK5=5555555-MK

MK6=4444444-MK

MK7=33333333-MK

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MK8=2222222-MK
```

On the other hand Let Sud is a 9x9 matrix where the positions t1,t2...,t9 are fixed

1									
	t1	UN	UN	UN	UN	t2	UN	t3	UN
	UN	t4	UN	UN	t5	UN	UN	UN	<i>t</i> 6
	UN	UN	t7	t8	UN	UN	t9	UN	UN
	UN	UN	t1	t2	UN	UN	t3	UN	UN
Sud =	UN	t5	UN	UN	t4	UN	UN	UN	t7
	<i>t</i> 6	UN	UN	UN	UN	t8	UN	UN	UN
	t9	UN	UN	UN	UN	UN	UN	t1	UN
	UN	t2	UN	UN	UN	UN	UN	UN	t3
	UN	UN	t4	UN	UN	UN	t5	UN	UN
Follo	owing	meth	od is	used t	to gen	erate	t1, t2	t9	, the

values of t1, t2t9 can never be same.

Initially i=1 and j=1 and p=1

'i' can range maximum from 1 to 23 'j' can range maximum from 1 to 9 'p' can range maximum from 1 to 8 For i = 1:23For *j* = 1:8 $if (MK(j)_{dp} \neq (t_{1:i-1}, t_{1:i-2}, t_{1:i-3}, \dots, t_1)$ $t_i = MK(j)_{dp}$ elseif $(MK(j)_{d(p+1)} \neq (t_{1:i-1}, t_{1:i-2}, t_{1:i-3}, \dots, t_1)$ $t_i = MK(j)_{d(p+1)}$ elseif $(MK(j)_{d(p+2)} \neq (t_{1:i-1}, t_{1:i-2}, t_{1:i-3}, \dots, t_1)$ $t_i = MK(j)_{d(p+2)}$; ; else $t_i = MK(j)_{d(p+7)}$ end

end

Ones the values of t1 to t9 computed, based on public key provided by user and private key by the service provider, a unique Sudoku need to be designed according to computed values.

The remaining values of UN in Sudoku matrix 'sud' will be computed using Sudoku solver according to the Sudoku rules :

Any row cannot have repeated numbers 1 to 9

Any column cannot have repeated numbers 1 to 9

Any 3x3 square (corning and central)matrix numbers cannot have repeated numbers 1 to 9

A MATLAB define function names SudokuSolver.m can solve this Sudoku and it can compute all the unknown values using above rules, the complete Sudoku is represented below where t1-t9 are initially computed with the help of the KEY and U1-U59 are computed with the help of SodokuSolver.m and Sudoku rules.

This Sudoku is completely defined by the key, as the key changes the complete Sudoku will also change, and this method will provide a good avalanche which is small change in input KEY cause major changes in output Sudoku, hence the system can be considered a chaotic system.

	t1	U1	U2	U3	U4	t2	U5	t3	U6
	U7	t4	U8	U9	t5	U10	U11	U12	t6
	U13	U14	t7	t8	U15	U16	t9	U17	U18
	U19	U20	t10	t11	U21	U22	t12	U23	U24
Sud1 =	= U25	t13	U26	U27	t14	U28	U29	U30	t15
	t16	U31	U32	U33	U34	t17	U35	U36	U37
	t18	U38	U39	U40	U41	U42	U43	t19	U44
	U45	t20	U46	U47	U48	U49	U50	U51	t21
	U52	U53	t22	U54	U55	U56	t23	U57	U58

'SudM' contains digits from 0 to 8 only and can be developed as: SudM=Sud1 -1

Now make copies of SudM such that a matrix of 255x255 is generated.



	0	1	2	3.																								55
0	t1 U7 U13 U19 U25 t16 t18 U45 U52	U1 014 014 020 13 031 038 120 053	02 08 t7 t10 026 032 039 046 t22	U3 U9 t8 t11 U27 U33 U40 U47 U54	04 15 015 021 14 034 041 048 055	t2 U10 U16 U22 U28 t17 U42 U49 U56	05 011 19 122 029 035 043 050 123	r3 0/12 0/17 0/23 0/30 0/36 r19 0/51 0/57	06 16 018 024 115 037 044 121 058	t1 U13 U13 U19 U25 t16 t18 U45 U52	U1 t4 U14 U20 t13 U31 U38 t20 U53	U2 U8 t7 t10 U26 U32 U39 U46 t22	03 09 58 111 027 033 040 047 054	84 r5 8721 115 8721 114 8741 8741 8748 8755	12 010 016 022 028 17 042 049 056	U5 U11 19 122 U29 U35 U43 U50 r23	r3 U12 U17 U23 U30 U36 r19 U51 U57	06 t6 0718 0724 t15 037 044 t21 058		t1 U13 U19 U25 t16 t18 U45 U52	01 14 020 113 031 038 120 053	U2 U8 t7 t10 U26 U32 U39 U46 t22	03 09 58 111 027 033 040 047 054	04 r5 015 021 r14 034 041 048 055	12 010 022 028 17 042 049 056	US U11 t9 t12 U29 U35 U43 U50 t23	t3 U12 U17 U23 U30 U36 t19 U51 U57	06 013 024 115 037 044 121 058
	t1 17 1713 1719 1725 t16 t18 1745 1752	01 14 014 020 13 031 038 120 053	02 08 17 100 026 026 029 046 122	03 09 58 111 027 033 090 047 054	04 r5 015 021 14 034 048 055	12 010 016 022 028 17 042 049 056	U5 U11 19 U29 U29 U35 U43 U50 123	r3 U12 U17 U23 U30 U36 r19 U51 U57	06 013 0728 0728 0728 0728 0728 0728 0728	t1 U7 U13 U19 U25 t16 t18 U45 U52	01 14 020 113 038 120 053	U2 U8 t7 t10 U26 U32 U39 U46 t22	03 09 58 111 027 033 040 047 054	04 r5 015 021 14 041 048 055	12 010 016 022 028 17 042 049 056	U5 V11 19 U29 U35 U43 U50 123	13 012 017 023 030 036 119 051 057	06 t6 0718 0728 t15 037 044 r21 058		1 17 13 19 10 16 18 13 145 52 1	01 14 1720 113 0 1731 0 1738 0 1753 1	02 08 7 10 726 739 739 746 722	03 09 t8 t11 027 033 040 047 054	04 c5 015 021 c14 034 040 048 055	12 1010 1016 1022 1017 1042 1049 1056	05 011 19 122 035 043 050 123	13 012 017 023 030 036 19 051 057	06 06 013 028 15 037 046 121 058
	t1 U13 U13 U19 U25 t16 t18 U45 U52	01 14 020 13 031 038 120 053	U2 U8 t7 t10 U32 U32 U39 U46 t22	03 09 58 111 027 033 090 047 054	04 15 0115 021 14 034 041 048 055	12 0710 0716 0722 0728 177 042 049 056	US U11 19 122 U29 U35 U43 U50 123	t3 U12 U23 U30 U36 t19 U51 U51	106 105 1013 1028 115 1037 1044 121 1058	t1 U7 U13 U19 U25 t16 t18 U45 U52	01 14 020 13 031 038 120 053	U2 U8 t7 t10 U26 U32 U39 U46 t22	03 09 8 11 027 033 090 047 054	04 15 015 021 14 034 041 048 055	12 0710 0716 0722 0728 117 042 049 056	US U11 19 122 U29 U35 U43 U50 123	23 U12 U17 U23 U30 U36 219 U51 U51	06 t6 013 024 t15 037 044 t21 058	t1 87 813 819 819 815 116 118 845 852	01 04 014 020 113 031 038 031 038 053	U2 U8 t7 t10 U26 U32 U39 U46 t22	03 09 53 611 021 033 040 041 041	04 85 015 021 14 040 040 040	12 1711 1721 17	05 0 011 5 19 2 112 8 029 1 030 2 040 9 050 6 123		2 10 7 3 12 6 13 9 14 1 12 7 15	

Figure 2: 255x255 Sudoku matrix

Input the cover image and convert it into matrix form which shows the pixels of the image. Let one part of the cover image as below

$$r1_1 r1_2 r1_3$$

$$img = r2_1 r2_2 r2_3$$

$$r3_1 r3_2 r3_3$$
Perform interpolation using the form

Perform interpolation using the formula below

2

$$\begin{bmatrix} rx_{ni} - \\ rx_i + \left(\frac{rx_i + rx_{i+1}}{2}\right) \end{bmatrix}$$

where x is constant

$$cx_{ni} = \left[ri_{\chi} + \left(\frac{ri_{\chi} + r(i+1)_{\chi}}{2} \right) \right] / 2$$

where x is constant



where x is constant



Input data 'D' and convert it into ASCII format and then to base-9 formats

ND=(D)9

	0	1	2	<u>3</u>					r1.4	ļ																		255	
0 1 2 3	t1 87 813 819 815 t16 t18 845 852	U1 14 U14 U20 13 U31 U38 120 U53	U2 U8 t7 t10 U26 U32 U39 U46 t22	03 09 58 51 027 033 090 047 054	04 r5 015 021 r14 034 048 055	12 1010 1016 1022 1028 117 1042 1049 1056	US V11 t9 t12 V29 V35 V43 V50 t23	23 012 017 023 030 036 219 051 057	06 16 013 028 15 037 044 121 058	31 1/13 1/13 1/19 1/25 2/16 2/18 1/45 1/52	U1 04 014 020 13 031 038 120 053	072 078 17 110 0726 0732 0739 0746 122	U3 U9 r8 t11 U27 U33 U40 U47 U54	04 r5 015 021 t14 041 048 055	12 010 016 022 028 128 128 149 042 049 056	05 011 19 122 029 035 043 050 123	13 012 017 023 030 036 119 051 057	06 018 024 115 037 044 121 058		r1 U7 U13 U19 U25 r16 r18 U45 U52	U1 014 014 014 010 13 031 038 138 120 053	02 08 17 110 026 032 039 046 122	U3 U9 t8 t11 U27 U33 U40 U47 U54	04 15 015 021 14 034 041 048 055	12 010 016 022 028 17 042 049 056	05 011 19 122 029 035 043 050 123	13 012 017 023 030 036 119 051 057	06 018 024 115 037 044 121 058	
	t1 87 813 7719	01 14 014 170	U2 U8 t7	03 09 53	04 t5 015	12 U10 U16	US U11 19	13 U12 U17 J23	U6 16 013	11 U7 U13	U1 54 014 1020	U2 U8 \$7	U3 U9 18	04 tS 015 1121	12 U10 U16 U12	US U11 19	13 U12 U17 U23	06 15 018 074		r1 U7 U13	81 24 814 814	U2 U8 t7 t10	U3 U9 18	U4 t5 U15 U21	12 U10 U16 U122	05 011 19	r3 U12 U17 U23	06 86 018	
r1,	U25 t16 t18 U45	t13 031 038 t20	U26 U32 U39 U46	U27 U33 U40 U47	114 034 041 048	U28 117 U42 U49	U29 U35 U43 U50	U30 U36 t19 U51	t15 037 044 t21	775 116 118 145	113 031 038 138 120	U726 U32 U39 U46	U27 U33 U40 U47	114 134 141 148	U28 117 142 149	U29 U35 U43 U50	030 036 119 051	t15 U37 U44 t21		U25 116 118 U45	t13 U31 U38 t20	U26 U32 U39 U46	U27 U33 U40 U47	114 U34 U41 U48	U28 117 U42 U49	U29 U35 U43 U50	U30 U36 119 U51	t15 037 044 t21	
	052	053	t22	U54	<i>U</i> 55	056	t23	U\$7	U58	052	U53	t22	U54	U55	U56	123	US7	U58		052	U53	t22	U54	U55	U56	t23	U\$7	U58	
	t1 U13 U13 U19 U25	01 t4 014 020 t13	U2 U8 t7 t10 U26	03 09 58 111 027	04 r5 015 021 r14	t2 U10 U16 U22 U28	US U11 19 122 U29	r3 U12 U17 U23 U30	06 16 013 028 15	t1 07 013 019 075	U1 64 U14 U20 t13	02 08 17 110 026	U3 U9 t8 t11 U27	04 15 015 021 114	12 U10 U16 U22 U28	US U11 t9 t12 U29	13 U12 U17 U23 U30	06 15 U18 U24 15	1000	01 1 64 3 01 9 020 5 613	02 08 17 10	U3 U9 18 111 U22	04 15 019 021 14	12 010 014 014 014	05 011 5 59 2 112 8 025	13 U11 U11 U12 U12 U13	06 2 26 7 U11 8 U22 0 215		
255	216 118 U45 U52	031 038 120 053	032 039 046 122	033 040 047 054	034 041 048 055	042 049 056	035 043 050 123	036 t19 US1 US7	03/ 044 121 058	118 118 1145 1152	U38 £20 U53	U39 U46 122	033 040 047 054	U34 U41 U48 U55	042 049 056	035 043 050 123	036 119 051 057	037 044 121 058	11 14 15	5 03 8 03 5 02 2 05	034 039 044 122	033 040 047 054	034 041 048 058	04 04 04 05	030 2 043 9 050 5 123	05	03 04 1 t21 7 US		

Figure 3 selection of row according to pixel in 255x255 Sudoku matrix

Now from the interpolated cover image 'img1' select $(r1_1, r1_{n1})$ position from Sudoku, obtained in step 8 and then consider 4 pixel ahead and 4 pixels back from the position $(r1_1, r1_{n1})$.

If the nine digits of Sudoku are [t14 U28 U29 U30 t15 U25 t13 U26 U27], search for the first digit of new data 'ND(1)' and detect its position $(r1_1, Y_{n1})$

Replace the searched new position $(r1_1, Y_{n1})$ with pixel of $(r1_1, r1_{n1})$ of interpolated image, repeat this process until all the digits of the new data (ND) are not replaced,



The whole idea is that we are not making any changes in the original information of the cover image, the pixel values of interpolated pixel gets modified which was generated using interpolation formula, and making slight change in this pixel does not affect quality on the image significantly.

2.3 PROPOSED METHOD FOR DATA EXTRACTION

Step 1: Input an 8 digit decimal public key, the key can be any value of 8 digit and must be pass when data extraction required and it must be same as entered at the time of data hiding.

Step 2: Perform logical XOR between 8 digit public and private key which is already defined in the steganography module. The output key is known as Sudoku Key.

Step 3: Develop a unique t1 to t9 digits out of 8 digits Sudoku key, the t1 to t9 can be any value between 1 to 9 but all must be different from each other.

Step 4: Assign the values of t1 to t9 into a fixed bottom up approach Sudoku problem. Total 23 unknown values of Sudoku problem must be assigned using t1 to t9 digits.

Step 5: Solve the bottom up Sudoku problem with using Sudoku Rules, proposed method uses the method of solving Sudoku by Ahmed Abdulkarim Almuhrij et al [27] from University of Manchester.

Step 6: Convert the base-9 Sudoku into base-8 Sudoku because we can hide digits 0-8 only.

Step 7: Develop a 255x255 Sudoku matrix with the help of base-8 developed Sudoku, the size of 255x255 is fixed because any pixel of image cannot be greater than 255.

Step 8: Input the cipher image and isolate its 2x2 blocks.



Figure 4 Data Extraction flow diagram

Step 9: With the help of 255x255 Sudoku matrix generate 3 decimal digits from each 2x2 block. The digits must be put as a sting of data.

Step 10: Convert the number into base-10.

Step 11: Develop ASCII from the digit string and then convert ASCII into Characters.

2.4 ALGORITHM FOR DATA EXTRACTION

The generation of 255x255 Sudoku is same as was in data hiding.

Input the cover image and convert into matrix form which shows the pixels of the image. Let one part of the cover image as below:-

11 P	12	P1(N−1) P1N j
21 P	22	Р2(N – 1) P2N
931 P	32	P3(N - 1) P3N
P41 P	42	P4(N – 1) P4N
- 1)1	P(N - 1)2	P(N - 1)	P(N-1)N
N1	PN2	PN(N – 1)	PNN]
	211 P 21 P 231 P 241 P 	P11 P12 P21 P22 P31 P32 P41 P42 - 1)1 P(N - 1)2 PN1 PN2	$\begin{array}{cccccccccccccccccccccccccccccccccccc$

Isolate 2x2 block, let say:

 $Blk = \begin{array}{c} P11 & P12 \\ P21 & P22 \end{array}$

Now from the cipher image 'img1' select (P11, P12), (P11, P21) and (P11, P22) position and search corresponding values in 255x255 Sudoku, the values in Sudoku will be the data in base-9 form.

Collect values from Sudoku according to positions (P11, P12), (P11, P21) and (P11, P22) and develop a string of base-9 data values.

Convert base-9 data string into decimal data string and decimal data string into ASCII and then convert ASCII into alphanumeric characters, these characters will be the final extracted DATA.

III-RESULTS

MSE, SNR and BPP are the results parameters, these parameters will help in the observation of results and comparison of proposed work with others.

$$MSE = \frac{\left\{\sum_{i=1}^{rw} \sum_{j=1}^{cl} [P_{cipher}(i,j) - P_{cover}(i,j)]\right\}^{2}}{rw * cl}$$
$$PSNR = 10 * log_{10} * \frac{256^{2}}{MSE}$$
$$BPP = \frac{8 * Bd}{Bi}$$

Pcipher is the pixel of cipher image Pcover is pixel of cover image Rw is number of row in cipher image Cl is the number of column in cipher image Bi number of bits in the cipher image Bd number of bits in data

BPP: Bit Per Pixel is the number of bits that can be hidden inside a pixel, The capacity of data which can be hidden inside the proposed work can be explained with a test image let say image of 'Lena' with 512x512 pixels

512x512=2, 62, 144 pixels

Total 256x256 number of 2x2(4 pixel block) can be

developed with 512x512 image

256x256x2x2=2,62,144 pixels

And after interpolation 2x2 block convert into 3x3 block means total

256x256x3x3=5,89,824 pixels

And as it's a color image with 3 frames total pixels can be

256x256x3x3x3= 17,69,472 pixels

As proposed method can hide three digits (12 bit) in each 2x2 block of cover image

17,69,472/4 = 4,42,386 total 2x2 blocks available

And each block can hide 12 bits hence $4,42,386 \ge 12 = 53,08,632$ bits can be hidden in interpolated image size of 256x256x3x3x3 pixels and each pixel is of 8bit hence 256x256x3x3x3x8 = 1,41,55,776 bits in interpolated image.

BPP= 53,08,632 x 8 / 141,55,776 = 3.000122

Hence the maximum BPP observed for the proposed method is 3.000122.

Number of bits	PSNR	MSE x 10 ⁻¹¹
2000	54.53	5.41
4000	53.47	6.91
8000	53.01	7.68
16000	52.15	9.37
32000	50.95	12.37
64000	49.84	15.95
128000	48.83	20.13

Table 1 PSNR observation for various size of data



Figure 6 PSNR measured for different numbers of bits

3.1 COMPARATIVE RESULTS

PSNR Results observed for the 512x512 Lena Standard image										
2000 bits of	data	1,20,000 bits of data								
Chang- Tsun Li et al [13]	Proposed Work	Thai-Son Nguyen et al [2]	Proposed Work							
46.25	54.53	48.67	48.83							

Table 2 PSNR Comparison with available work

Sr. NO.	AUTHOR	Results
1.	Fan Li et al [3]	PSNR observed is 52.99 when BPP taken as 0.063 for 512x512 Lena image
2.	Chin-Chen Chang et al [1]	2.23 bpp hidden in Lena Image obtain PSNR of 26.86
3.	Proposed work	PSNR is 32.33 for 3.000122 BPP hidden in Lena image of 512x512 pixels

Table 3 BPP Comparison with available work

From the comparative results it can be observed that proposed work PSNR is better than available works and also the proposed work can hide more bits per pixel than available work.

IV-CONCLUSION

The original objective for paper work was to develop an optimized technique for hiding data inside cover image also to reduce amount for data in the channel while stenograph data transmission which has been achieved. A new 8 digit decimal number based unique Sudoku developed for enhancing the robustness of the work and also a modified interpolation is been developed for maintaining good quality of image after hiding the data. Problem with steganography is that it needs lots of data (image) for sending few small amount for data, so proposed work is a good solution for this problem it can be confidently said that, because we have achieved very good PSNR. Proposed design can also be used for secure communication in cloud services. The data bits are embedded in random into the cover-image pixels, instead of it sequential embedding can be done to improve the security of the system in future.

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